

F.E. Sem - II

May - June - 2012 [4161] - 107



Seat  
No.

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F.E. (Semester - II) Examination, 2012  
ENGINEERING MATHEMATICS - II  
(2008 Pattern)



Time : 3 Hours

Max. Marks : 100

- Instructions :** 1) In Section I, solve Q. No. 1 or Q. No. 2, Q. No. 3 or Q. No. 4, Q. No. 5 or Q. No. 6. In Section - II, solve Q. No. 7. or Q. No. 8, Q. No. 9 or Q. No. 10, Q. No. 11 or Q. No. 12.
- 2) Answers to the **two** Sections should be written in **separate** answer books.
- 3) Black figures to the **right** indicate **full** marks.
- 4) **Use** of electronic pocket calculator is **allowed**.
- 5) Assume suitable data, if **necessary**.

SECTION - I

1. A) Form the differential equation whose general solution is  $y = ae^{-2x} + be^{-3x}$ ,  
a and b are arbitrary constants. 6
- B) Solve the following (**any two**) : 10
- i)  $(\cos x \cos y - \sin x \sin y) dy = dx$
- ii)  $\frac{dy}{dx} = \frac{2x + 3y - 1}{6x + 9y + 6}$
- iii)  $\frac{dy}{dx} - \frac{\tan y}{1+x} = (1+x)e^x \sec y$

OR

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2. A) Form the differential equation whose general solution is  $y = A \cos\left(\frac{4x}{3}\right) + B \sin\left(\frac{4x}{3}\right)$ , where A and B are arbitrary constants. 6

B) Solve the following (**any two**) : 10

i)  $(2x^2y + e^x) dx = (e^x + y^3)dy$

ii)  $2xydy = (3y^2 + x^2)dx$

iii)  $\frac{dy}{dx} + (1 + 2x)y = e^{-x^2}$

3. Solve **any three** : 18

i) Water at temperature  $100^\circ\text{C}$  cools in 10 minutes to  $88^\circ\text{C}$  in a room of temperature  $25^\circ\text{C}$ . Find the temperature of water after 20 minutes.

ii) A particle is moving in a straight line with an acceleration  $k\left[x + \frac{a^4}{x^3}\right]$  directed towards origin. If it starts from rest at a distance 'a' from the origin, prove that it will arrive at origin at the end of time  $\frac{\pi}{4\sqrt{k}}$ .

iii) The equation of an L-R circuit is given by  $L \frac{dl}{dt} + RI = 10 \cos t$ . If  $I = 0$  at  $t = 0$ , express I as a function of t, if  $L = 5$  henries and  $R = 12$  ohms.

iv) Find the orthogonal trajectories of the family of curves  $r^2 = a^2 \cos 2\theta$

OR

